What's Going On?

Checking In

Minds on Frayer Models

Action! Function Notation

Consolidation Function Creation

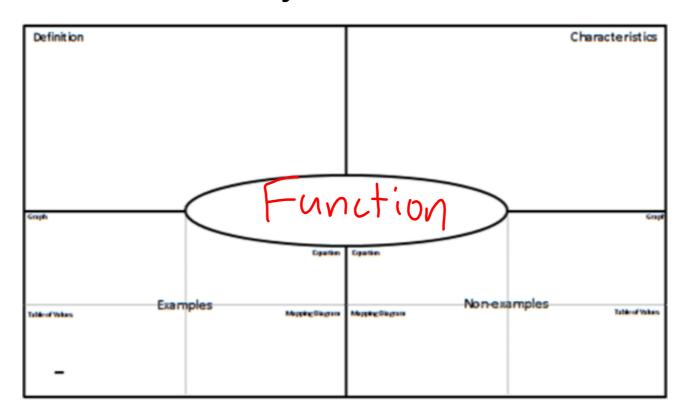
Learning Goal - I will be able write equations in proper function notation and substitute numerical values and algebraic expressions into functions.

What's happening at

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Minds on

Frayer Models





Notation, such as f(x), used to represent the value of the dependent variable for a given value of the independent variable, x.

This means that y and f(x) are interchangeable in an equation of a function.

$$y = -3x + 5$$

$$y = -3x + 5$$
 y is a function of x

Look it up!

function ('fʌŋkʃən) 2

-n

- 1.the natural action or intended purpose of a person or thing in a specific role: the function of a hammer is to hit nails into wood
- 2.an official or formal social gathering or ceremony
- 3.a factor dependent upon another or other factors: the length of the flight is a function of the weather

$$A = \frac{1}{2}bh$$

$$f(b, h) = \frac{1}{2}bh$$

 $A = \frac{1}{2}bh$ "the area of a triangle is a f(b, h) = $\frac{1}{2}bh$ function of the width of the ba and the height of the triangle" function of the width of the base

Function Notation

WHITEBOARDS

Write each equation in function form.

$$y = 3x - 6$$

$$f(x) = 3x - 6$$

$$y = 2x^2 - 4x + 1$$

 $+(x) = 2x^2 - 4x + 1$

$$y = \sqrt{x+3}$$

$$hota function$$

$$d = 4t - 5$$

$$+ (+) = 4t - 5$$

$$d = 4t - 5$$
 $+ (+) = 4t - 5$

Function Notation

WHITEBOARDS

Write each equation in function form.

$$A = \pi r^2$$

The area of a circle is a function of the length of its radius.

$$S = 180(n - 2)$$

$$f(n) = 180(n - 2)$$

The sum of the interior angles in a polygon is a function of the number of sides, n, the polygon has.

Function Notation

We can use function notation to "evaluate" functions given the value of the independent variable(s).

Example 1: Given f(x) = 2x + 5, evaluate:

a)
$$f(5)$$

 $f(6) = 2(5)+5$
 $f(6) = 10+5$
 $f(6) = 15$

b)
$$f(-2)$$

 $f(-2) = 2(-2) + 5$
 $f(-2) = -4 + 5$
 $f(-2) = 1$

Function Notation

Example 2: Given $g(x) = 2x^2 - 4x$, evaluate g(3) + g(-2).

$$g(3) = 2(3)^{2} - 4(3)$$
 $g(-2) = 2(-2)^{2} - 4(-2)$
 $g(3) = 18 - 12$ $g(-2) = 6$
 $g(3) = 6$ $g(-2) = 16$

$$9(3)+g(-2)=6+16$$

 $9(3)+g(-2)=22$

Here we evaluated g(3) and g(-2) separately and THEN added them.

Example 2: Given $g(x) = 2x^2 - 4x$, evaluate g(3) + g(-2).

$$g(3) + g(-2) = [2(3)^{2} - 4(3)] + [2(-2)^{2} - 4(-2)]$$

$$= [18 - 12] + [8 + 8]$$

$$= 6 + 16$$

$$= 22$$

Here we evaluated g(3) and g(-2) and added them at the same time!

Function Notation

Example 3: Using the following graph, determine:

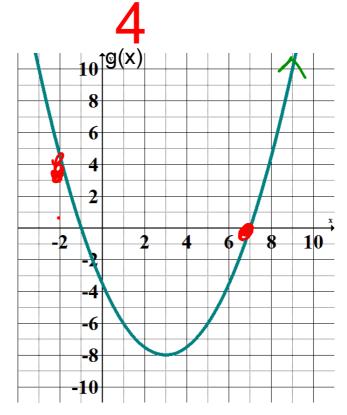
a) g(7)

b) g(-2)

c) *x* when g(x) = -6

1 and 5





Consolidation

Homework!

TONIGHT

Pg. 10: 1, 2, 4, 5, 7 8b, 9b, 11, 12

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