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## Practice Test - Trigonometry

## PART A - MULTIPLE CHOICE

1. What method would you use to solve for angle N in the triangle below?
A) Sine Law
B) SohCahToa
C) Cosine Law
D) Not Possible - None of the above

2. This method will allow you to solve for triangles where you have either SAS or SSS.
A) Sine Law
B) Cosine Law
C) SohCahToa
D) None of the above
3. In the diagram to the right, angle $B$ is equal to
A) $80^{\circ}$
B) $85^{\circ}$
C) $135^{\circ}$
D) None of the above

4. The cosine law $a^{2}=b^{2}+c^{2}-2 b c \cos A$ allows you to solve for the variables
A) a and A
B) b and c
C) a and c
D) A and c
5. Which of the following methods cannot be used to solve for side $b$ in the diagram below?
A) Sine Law
B) Cosine Law
C) SohCahToa

D) None of the above

Name: $\qquad$

## PART B - FULL SOLUTION

1. Solve for:
a) x to the nearest cm .

b) $y$ to the nearest $m$.

c) D to the nearest degree.


Name: $\qquad$ Date: $\qquad$
2. Consider the triangle defined as follows:
$\Delta \mathrm{JKL} ; \mathrm{j}=17.0 \mathrm{~cm}, \mathrm{k}=18.0 \mathrm{~cm}, \mathrm{l}=21.0 \mathrm{~cm}$
a) Sketch the triangle.
b) Determine all angles, to the nearest degree.
3. A 3 m ladder can be used safely only at an angle of $75^{\circ}$ with the horizontal. How high, to the nearest metre, can the ladder reach?
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4. Calculate the area of the triangle to the nearest $\mathrm{cm}^{2}$.

5. Charmaine has planned a nature walk in the forest to visit four stations: $A, B, C$, and $D$. Use the sketch shown at the left to calculate the total length, to the nearest metre, of the nature trail, from $A$ to $B$, $B$ to $C, C$ to $D$, and $D$ back to $A$.


Name: $\qquad$ Date: $\qquad$
6. A plane leaves an aircraft carrier and flies due north at $500 \mathrm{~km} / \mathrm{h}$. The aircraft carrier proceeds $30^{\circ}$ west of south at $35 \mathrm{~km} / \mathrm{h}$. If the plane has enough fuel for 4 h of flying, what is the maximum distance north it can fly, so that the fuel remaining will allow a safe return to the aircraft carrier?
7. Match each method with a problem that can be solved by that method. Describe how each method could be used to complete a solution.

| Method | Problems |
| :--- | :--- |
| Cosine law | Chris lives in a U-shaped building. From his window, <br> he sights Bethany's window at a bearing of $328^{\circ}$ and <br> Josef's window at a bearing of $19^{\circ}$. Josef's window is <br> 54 m from Bethany's and both windows are directly <br> opposite each other. How far is each window from <br> Chris's window? |
| Sine law | When the Sun is at an angle of elevation of $41^{\circ}$, <br> Martina's treehouse casts a shadow that is 11.4 m long. <br> Assuming that the ground is level, how tall is Martina's <br> treehouse? |
| Primary <br> trigonometric <br> ratios | Ken walks 3.8 km west and then turns clockwise <br> $65^{\circ}$ before walking another 1.7 km . How far <br> does Ken have to walk to get back to where he started? |

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6. Sven wants to determine the unknown side of the triangle shown at the left. Even though it is not a right triangle, describe how Sven could use primary trigonometric ratios to determine $x$.

9. A tree is growing vertically on a hillside that is inclined at an angle of $15^{\circ}$ to the horizontal. The tree casts a shadow uphill that extends 7 m from the base of its trunk when the angle of elevation of the Sun is $57^{\circ}$. How tall is the tree to the nearest metre?


