What's Going On?

Checking In

Minds on Pen and Paper Analysis

Action! One Question to Bind Them

Consolidation The Hardest Part?

Learning Goal - I will be able to determine appropriate mathematical models to fit real world data and use the models to predict past and future behaviour.

Minds on

Pen and Paper Analysis

For each table:

- 1. Identify the independent and dependent variables.
- 2. Identify units for the rate of change.
- 3. Describe the trend.
- 4. Determine whether it shows a linear trend, quadratic trend or exponential trend.

'nd,var	Jervar Cn ni
Year	Goose Population ()
1	1190~ - /
2	1190 - 60 .05
3	1310 7 7 7 7 1 6 1,05
4	1380
5	1455
6	1550
trend the	of change: # of geese/ Year ; the population increases over time, rate of change appeals to reasing.
M et	Sare constant, therefore ponential model would be gest Et.

ind	tep	FN (n
Year	New Teacher Hires	
0	45	
1	44	77-2
2	41	7-5-2
3	36	K-5<-7
4	29	

Rol: Hot hires/year

trend: Lecrensing over time, the rate of decrease
is a chelerating over time
second differences constant... a makintic

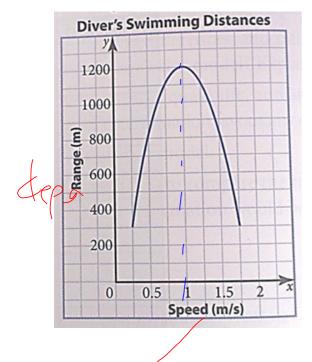
	ind	dep	≤ 0	5D	Ratios
	Week	Volume of Sand	(m³)		
	0	2000	-74)	0.96
	1	1922	-4h	,	
	2	1836	-4		
	3	1755		2	
	4	1682	7	,	
	5	1598	- 94	<u> </u>	
	6	1520	- 74 - 74		
	7	1442	-100	ł	V
	8	1338			
		Utlume of 5	and /week		
- ch		ine of 5ml c	Jecrenses e	hch h	rle ()
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	bopot	ial trad,) Percen-	t del	10110
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Minds on

Pen and Paper Analysis

For each graph:

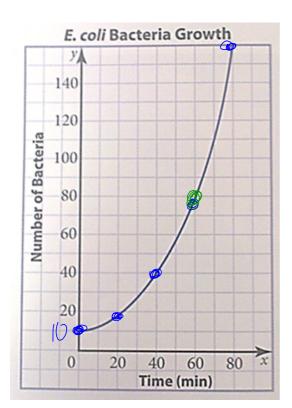
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Rol: m/m/5

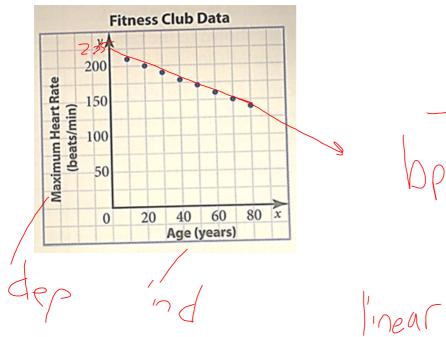
Trend; distance diver conshirm increases as their speed increases to a maximimum, and then be creases,

* Quadratic



ratios ace constat...exponential

March 26, 2014 **Review**



Action!

One Question to Bind Them

Mark is considering starting his own Web design business. There are already several similar companies and he is concerned that there might not be enough business in the future. He conducted some research and determined the number of business with web sites in the town seems to be growing.

a. Independent Variable: Lew

Dependent Variable: # Jusinesses w/

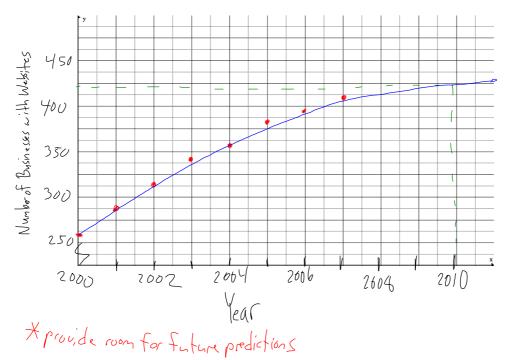
b. Units for Rate of Change: 425/164/

Action!

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c. Scatter Plot



d. Estimate for 2010: 475

e. Best model based on graph:

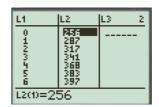
The rate of change seems to be slowing down. It appears that the number of businesses with websites will reach a maximum (makes sense as eventually most or all will have one). Therefore, I would say a quadratic model fits best.

Action!

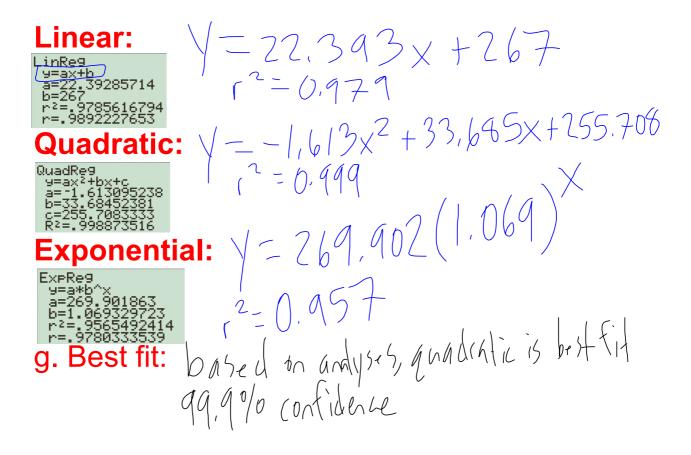
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f. Regression Equations







To change the window to see the years 1980 to 2020, we need to change the x-values of our window to -20 (min) and +20 (max)

Action!

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h. Best past predictions: The exponential model seems to do the best job at predicting into the past. The other two (linear and quadratic) show the number of websites bottoming out to zero fairly quickly.

i. Best future predictions: None of the models seem to do a great job into the future. Over the short term, the quadratic seems to be the best as we expect the number of businesses with websites to reach a max (all of them). However, the quadratic model then shows the number decreasing, this is unlikely.

The exponential shows the rate of change continuing to increase (not the trend shown by the actual data)

The linear shows a constant increase over time (again, not the trend shown by the data)

Action!

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j. Predictions for 1990, 2010: \(\times \frac{2000 15}{15}\)

$$(x=-10)$$

Linear:

$$Y = 22.393 \times + 267$$

Quadratic:

Quadratic: mg/es no sense!,
$$4 = -1.613x^2 + 33.645x + 255.708$$

Action!

One Question to Bind Them

Mark is considering starting his own Web design business. There are already several similar companies and he is concerned that there might not be enough business in the future. He conducted some research and determined the number of business with web sites in the town seems to be growing.

Based on your analysis. What should he do?

Because the rate of change seems to be decreasing, this is probably not a great area to get into.

As the number of NEW businesses with websites per year decreases, the existing web design companies will compete more and more for limited business.

Consolidation

The Hardest Part?

The following equations are the result of regression analyses on data of the number of fatal collisions per year from 1992 to 2011.

Linear
$$y = -50.832x + 3012.457$$

Quadratic
$$y = -0.704x^2 - 37.465x + 2972.356$$

Exponential $y = 3052.329*0.980^{x}$

What do x and y represent?

x represents the number of years since 1992 y represents the number of fatal collisions per year

Consolidation

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Quadratic
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Exponential
$$y = 3052.329*0.980^{x}$$

If we want to use each model to predict the number of fatal collisions in 1975 what do we do? Do it!

We would need to plug x = -17 into each equation and solve. (1975 - 1992 = -17)

*17 years in the **past** (NEGATIVE)

Consolidation

The Hardest Part?

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$$y = -50.832x + 3012.457$$

Quadratic
$$y = -0.704x^2 - 37.465x + 2972.356$$

Exponential $y = 3052.329*0.980^{x}$

If we want to use each model to predict the number of fatal collisions in 2025, what do we do? Do it!

We would need to plug x = 33 into each equation and solve. (2025 - 1992 = 33)

*33 years in the **future** (POSITIVE)