### What's Going On?

Checking In

Minds on To Minimize or To Maximize?

Action! iPad Investigation

Consolidation Optimizing 2.0

Learning Goal - I will be able to optimize the perimeter and area of rectangles.

Checking In

Last Unit!

# Optimization

### **Checking In**

#### This Week

Tuesday - Optimizing Rectangles
Wednesday - Optimizing Square-Based Prisms
Thursday - Optimizing Cylinders
Friday - Work Period and Assignment

### Minds on

### To Maximize or To Minimize?

You need to enclose a **set** amount of space (**area**) for a garden. First, you need to know how much fencing you will need to purchase.

Do you want to minimize or maximize the perimeter?

# Minds on

### To Maximize or To Minimize?

You are trying to enclose an area for your dog in the backyard. You have purchased a **set** amount of fencing (**perimeter**).

Do you want to maximize or minimize the enclosed area?

# iPad Investigations

Minimize perimeter

Maximize area

#### <u>Perimeter</u>

When we are trying to "optimize" the perimeter of a given area, we are looking to

<u>ΜίΛιΜί</u>2<u>e</u> the perimeter.

"Make a square"

<u>Formulae</u>

We know area Q=W  $A=L^2$  OR  $A=W^2$  P=4L OR P=4WQ=5A OR W=5A

#### <u>Area</u>

When we are trying to "optimize" the area of a space given the perimeter, we are looking to  $\frac{M}{A} \times \frac{1}{1} \frac{M}{1} = \frac{2}{2}$  the area.

#### <u>Formulae</u>

#### **Area on Three Sides**

When we are trying to "optimize" the area of a space that will be enclosed on three sides and we are given the amount of materials available, we are looking to

Formulae

Wighth is half the length > W = 2

Wength is knowlethe width > l=2

Wength is half the "primeter" > l=2

Whish is a quarter of the "primeter" > W-1

# Formulating Formal Formula

**Optimizing Perimeter** (Fixed Area)

# Formulating Formal Formula

**Optimizing Area** (Fixed Perimeter)

# Formulating Formal Formula

# **Optimizing Area on Three Sides**

(Fixed Amount of Material)

# Optimizing 2.0

# You have 110 metres of fencing

a. If you want to enclose an area on 4 sides. What is the maximum area you can enclose on 4 sides? What are the dimensions of the area?

Q = 110 Q = 27.5 m

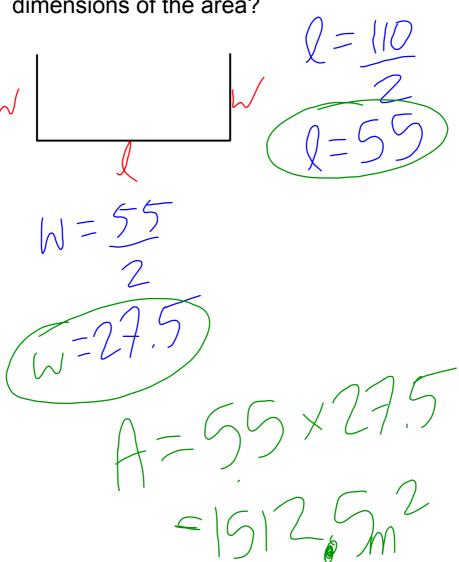
 $A=27.5 \times 27.5$ A=756.25 m<sup>2</sup>

Limensians are 27.5 × 27.5

### Optimizing 2.0

You have 110 metres of fencing

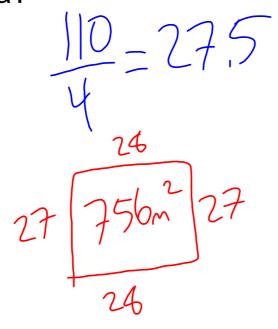
b. What is the maximum area you can enclose on 3 sides? What are the possible dimensions of the area?



# Optimizing 2.0

You have 110 metres of fencing. The fencing is in one-metre long sections that <u>cannot</u> be cut.

a. If you want to enclose an area on 4 sides. What is the maximum area you can enclose on 4 sides? What are the dimensions of the area?



# Optimizing 2.0

You have 110 metres of fencing. The fencing is in one-metre long sections that <u>cannot</u> be cut.

b. What is the maximum area you can enclose on 3 sides? What are the possible dimensions of the area?

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1 - 3, 5, 6, 8